

VARIOUS CALCULATIONS OF THE UNIVERSE:

BLACK HOLE TEMPERATURE:

We equate $(\frac{1}{2}) kT$ with $E = \frac{1}{2} mc^2$ and we include $E = \text{Force} \times r$,
 $r = (2 GM) / c^2$

Also $E = h\nu$. Thus we have : $(1/2) kT = h.(c/\lambda)$.

As for λ , we see that in 1 dimension , $2\pi r = n. \lambda$ where "n" is the number quantum

In 2 dimensions let's move on to the concept of area , where

$$4\pi r^2 \equiv f(r) \equiv n\lambda'r$$

First I square the equality and then I divide the part right side of the equivalence for "r":

$$(2\pi r)^2 \rightarrow (\lambda r)^2 \quad (4\pi r^2)^2 \rightarrow (\lambda' r^2)^2 \quad ((\frac{4}{3})\pi r^3)^2 \rightarrow (\lambda'' r^3)^2$$

we finish replacing λ by $\lambda' r$ and by $\lambda'' r^2$, thus we see that in each dimension (line , area, volume) in the part right of equality there is a degree less than the variable " radius ".

The expression $4\pi r^2$ That's what interests us.

Therefore , I equals $(4\pi r^2)^2$ a $(\lambda'' r^2)^2$ and I divide the part right by "r", with which I will obtain , on the part right of equality, a degree minus the " radius " variable:

$$16\pi^2 r^4 \equiv \lambda''^2 r^4 / r$$

so that $(1/2) kT = hc / \lambda = hc / 16\pi^2 r = (hc / 16\pi^2).(c^2 / 2GM)$,
therefore $T = (1/16\pi^2).(hc^3 / GMk)$